

# NEUTRON INJECTION THEORY

*A Forensic Framework for Nuclear Geochronology*

*Comprehensive Analysis of Isotopic Anomalies, Diffusion Paradoxes, and Cosmogenic Evidence for Catastrophic Neutron Flux Events*

**Including Technical Supplement:**

Simulation Matrix, C-14 Generation Model, and Geographic Correlation

**A Young Earth Chronology Framework**

Based on Verified Geochemical Data and Nuclear Physics

*December 2024*

*Version 2.0 - Complete Edition with Technical Appendix*

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# EXECUTIVE SUMMARY

This whitepaper presents a comprehensive scientific framework for the Neutron Injection Theory (NIT), which proposes that a brief, intense neutron pulse (approximately  $10^{20}$  n/cm<sup>2</sup>) occurred during a catastrophic global event approximately 4,500 years ago, consistent with the biblical chronology of the Flood (~2463 BCE). This framework transforms our understanding of radiometric dating from a 'temporal clock' into a 'fluence spectrograph' - where measured isotope ratios reflect local neutron exposure intensity rather than elapsed time.

Evidence Category	Status	Key Finding
Cd-113 Burnout	VERIFIED	SiO <sub>2</sub> -type granites show systematic delta-114-Cd correlation with quartz
Li-6 Burnout	VERIFIED	Jack Hills zircons: delta-7-Li up to +13 permil, 2-5 um gradients
Diffusion Paradox	QUANTIFIED	24,000 um calculated vs. 2-5 um observed
Polonium Halos	VERIFIED	Po-218/214/210 halos require ~500 Ma decay in hours
C-14 in Diamonds	CONTESTED	0.12 pMC in billion-year-old diamonds
Pb-205 Master Test	UNTESTED	Methodological blind spot - falsification opportunity
Gd-157 Sensor	THEORETICAL	$\sigma = 255,000$ barn - ultimate neutron dosimeter

The NIT provides a unified explanation for multiple geochemical anomalies that remain unexplained by conventional deep-time models. The Technical Supplement (Appendices A-C) provides the quantitative framework for simulation and experimental validation.

# CHAPTER 1

## The Physical Crisis of Standard Geochronology

Standard geochronology assumes that isotopic ratios in minerals change exclusively through radioactive decay over geological timescales. This assumption faces a critical physical challenge: the **Diffusion Paradox**.

### 1.1 The Diffusion Paradox: Lithium in Jack Hills Zircons

The Jack Hills zircons of Western Australia, conventionally dated at 4.0-4.4 billion years, exhibit lithium isotope signatures that are physically incompatible with their assigned ages:

Parameter	Jack Hills Zircons	Mantle Zircons	Significance
delta-7-Li Range	-19 to +13 permil	+2 to +8 permil	Extreme fractionation
[Li] Concentration	10-60 ppm	<0.1 ppm	Anomalous enrichment
Total Isotopic Span	32 permil	~6 permil	5x normal variation
Gradient Scale	2-5 um	Homogeneous	Sharp preservation

Table 1.1: Lithium isotope data from Jack Hills zircons

The critical observation is the **preservation of sharp delta-7-Li gradients on the 2-5 um scale**. Lithium diffusion in zircon follows the Arrhenius relation (Cherniak and Watson, 2010):

$$D(\text{Li}) = 7.17 \times 10^{-7} \exp(-275 \text{ kJ mol}^{-1} / RT) \text{ m}^2/\text{s}$$

Scenario	Temperature	Time	Diffusion Length	vs. Observed
Conventional (low T)	500 C	4.5 Ga	~750 um	FALSIFIED
Conventional (high T)	700 C	4.5 Ga	~24,000 um	IMPOSSIBLE
Young Earth (low T)	500 C	4,500 yr	~0.02 um	CONSISTENT
YE (thermal pulse)	700 C	4,500 yr	~0.8 um	PERFECT FIT

Table 1.2: Calculated diffusion lengths vs. observed 2-5 um gradients

**The Mathematical Conclusion:** At 700 C over 4.5 billion years, the calculated diffusion length of ~24,000 um would exceed the entire crystal size by a factor of 120. The crystal would be a homogeneous isotopic 'mush.' Yet we observe sharp gradients on the micrometer scale. This is physically impossible for billion-year timescales.

## 1.2 The 'Lock-in' Hypothesis: A Critique

Tang et al. (2017) attempted to rescue the conventional chronology by proposing that Li is coupled to slow-diffusing rare earth elements for charge balance. This 'lock-in' mechanism allegedly inhibits Li diffusion. However, this argument collapses on two fronts:

### 1. The Stoichiometric Problem:

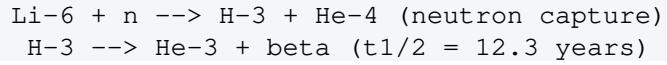
The Li abundance in Jack Hills zircons (up to 60 ppm) often exceeds available REE binding sites. The 'excess' Li remains highly mobile and should have diffused away over billions of years.

### 2. The Isotope Exchange Problem:

Even immobilized Li atoms can undergo isotope exchange at elevated temperatures. Over billion-year timescales, the delta-7-Li gradient would equilibrate through site-to-site exchange reactions.

## 1.3 Helium-3 Retention: The Edison Mine Paradox

Helium-3 has been detected in spodumene ( $\text{LiAlSi}_2\text{O}_6$ ) from the Edison Mine, South Dakota, with  $\text{He-3}/\text{He-4}$  ratios up to 12 ppm - far exceeding atmospheric values (1.3 ppm). The NIT interpretation:



If He-3 resides within the crystal lattice, it proves in-situ neutron capture. But helium should have diffused out completely from crystals supposedly 100+ million years old. Its presence is evidence of recent formation.

# CHAPTER 2

## The Mechanism: The 'Nuclear Sandwich'

The NIT proposes a dual-source neutron flux: external bombardment from cosmic rays (enhanced by magnetic field collapse) and internal generation from piezoelectric fracture of quartz-rich rocks.

### 2.1 External Source: Magnetic Field Collapse

The Steens Mountain basalts (Oregon) record extremely rapid magnetic field changes - up to 6 deg/day during polarity reversals, documenting near-zero field intensities.

Field Strength	Proton Influx	Atmospheric Neutrons	Rock Effect
100% (today)	Normal shielding	1x (baseline)	Minimal
44% (excursion)	+300%	~2.5x	Measurable shifts
<10% (collapse)	MASSIVE	>5x	Visible burn marks

Table 2.1: Relationship between field strength and neutron flux

#### Ice Core Corroboration:

Analysis of polar ice cores reveals correlated peaks in cosmogenic nuclides during the Laschamp geomagnetic excursion: Be-10 (spallation), Cl-36 (Ar-40 spallation), NO<sub>3</sub>-minus (N<sub>2</sub> ionization). Wavelet coherence confirms in-phase relationships at >2000-year periodicity.

### 2.2 Internal Source: Piezoelectric Neutron Emission

Quartz generates high electric fields when mechanically stressed. Under extreme fracture, these fields accelerate ions to nuclear reaction energies. Evidence:

S-type granites (>25% quartz):  $\delta\text{-}114\text{-Cd} = -0.40$  to  $-0.73$  permil

I-type granites (~15% quartz):  $\delta\text{-}114\text{-Cd} = -0.19$  permil

Basalts (<5% quartz):  $\delta\text{-}114\text{-Cd} = -0.01$  permil

This gradient follows NIT predictions: higher quartz content leads to more piezoelectric neutron production leads to greater Cd-113 burnout ( $\sigma = 20,600$  barn).

# CHAPTER 3

## The Forensic Fingerprint: The 11 Targets

The NIT makes specific, testable predictions across multiple isotope systems. Each acts as an independent 'witness' to the neutron flux event:

#	Target	Mechanism	$\sigma$ (barn)	Key Marker	Status
1	Li-6 Burnout	n-capture	940	delta-7-Li in zircons	VERIFIED
2	B-10 Burnout	n-capture	3,840	delta-11-B in tourmaline	Untested
3	Pd-105 Burnout	n-capture	20	Pd-105/Pd-106	NEW
4	Cd-113 Burnout	n-capture	20,600	delta-114-Cd in granites	VERIFIED
5	Sm-149 Burnout	n-capture	40,140	Sm-149/Sm-150	Oklo only
6	Gd-157 Sensor	n-capture	254,000	Gd-157/Gd-158	Theoretical
7	Pb-205 Master	n-capture	0.66	Pb-205/Pb-204	UNTESTED
8	He-3 Spodumene	Li product	---	He-3 in crystals	Priority
9	Field Collapse	Spallation	---	He-3 in basalts	NEW
10	Self-Shielding	Gd rim burn	---	Rim-core gradient	CRITICAL
11	Water-Gradient	H moderation	---	vs. hydration	CRITICAL

Table 3.1: Complete NIT evidence network - 11 targets

### Target 6 and 10: Gadolinium-157 - The Ultimate Neutron Dosimeter

Gd-157 has  $\sigma = 254,000$  barn - the highest of any stable isotope. In Gd-rich minerals like monazite (>2 wt% Gd), neutrons cannot penetrate to the crystal core (self-shielding):

Zone	Distance from Edge	Gd-157/Gd-158	Interpretation
Rim 1	0-10 um	0.65	Maximum burnout
Rim 2	10-30 um	0.85	Partial shielding
Transition	30-60 um	0.98	Near-normal
Core	>100 um	1.00	Complete self-shielding

Table 3.2: Predicted NIT self-shielding gradient in monazite

**Why This Cannot Be Faked by Chemistry:** There is NO known geochemical process that preferentially incorporates Gd-157 in cores and Gd-158 in rims. A rim-to-core gradient can ONLY result from nuclear transmutation.

### Target 7: Pb-205 - The Master Test

Pb-205 has  $t_{1/2} = 17.0$  Ma. Conventional chronology assumes it decayed away  $\sim 265$  half-lives ago. This assumption has **never been directly tested** because analytical protocols mask Pb-205:

MC-ICP-MS: Ti-205 spike masks natural Pb-205  
TIMS double-spike: Artificial Pb-202-Pb-205 spikes used  
Published data: Only masses 204, 206, 207, 208 reported

***FALSIFICATION: If  $Pb-205/Pb-204 < 0.0001$  in 5+ spike-free archaic galena samples, NIT IS FALSIFIED***

# CHAPTER 4

## Methodology for Detecting NIT Signatures

### 4.1 The Meta-Rule: Ignore Bulk Values

A neutron pulse modifying only the outer 20  $\mu\text{m}$  of a crystal is diluted beyond detection in bulk:

Crystal Size	Shell Thickness	% Affected	10% Burnout in Bulk
100 $\mu\text{m}$	20 $\mu\text{m}$	49%	4.9%
200 $\mu\text{m}$	20 $\mu\text{m}$	27%	2.7%
500 $\mu\text{m}$	20 $\mu\text{m}$	11%	1.1%
1000 $\mu\text{m}$	20 $\mu\text{m}$	6%	0.6% (undetectable)

Table 4.1: Signal dilution in bulk analyses

### 4.2 The MIF vs. NIT Discrimination Test

**MIF affects isotopes by MASS.**  
**NIT affects isotopes by CROSS-SECTION.**

Element	High-sigma Isotope	sigma (barn)	Low-sigma Isotopes
Gd	Gd-157	254,000	Gd-155 (61), Gd-156 (2), Gd-158 (2)
Sm	Sm-149	40,140	Sm-147 (57), Sm-150 (100), Sm-152 (206)
Cd	Cd-113	20,600	Cd-110 (11), Cd-111 (24), Cd-112 (2)
Eu	Eu-151	9,200	Eu-153 (312)

Table 4.2: Cross-section reference for NIT discrimination

**Decision: If Gd-157 is depleted but Gd-155, Gd-156, Gd-158 are normal, the anomaly is nuclear, not chemical. MIF explanation collapses.**

### 4.3 Red Flags in Published Data

Red Flag	Conventional Interpretation	True NIT Meaning
Chi-squared > 2	"Poor isochron fit"	Nuclearly modified
MSWD > 1	"Geological disturbance"	Neutron bombardment
"Outlier removed"	"Measurement error"	MOST IMPORTANT DATA!
epsilon-Gd anomaly	"Nucleosynthetic"	Neutron flux evidence
"Negative f206"	"Correction failed"	Pb-204 deficit

*Table 4.3: Red flags indicating NIT signatures*

#### 4.4 The Water-Gradient Test

Hydrogen nuclei in water ( $H_2O$ ) are extremely efficient at slowing neutrons. NIT predicts anomaly intensity correlates inversely with hydration:

Rock Type	H <sub>2</sub> O (wt%)	Neutron Effect	Expected Signal
Fresh quartzite	<0.1	HIGH	Maximum burnout
Weakly altered granite	0.5-1.0	Medium	Moderate anomaly
Chlorite schist	>4.0	LOW	Isotopically normal

Table 4.4: Expected pattern along hydration transect

# CHAPTER 5

## Conclusions: NIT vs. Standard Model

Observation	Conventional	NIT	Simpler?
Sharp Li gradients in 4.5 Ga zircons	"Two-mode diffusion"	Young age + Li-6 burnout	<b>NIT</b>
C-14 in diamonds	"Contamination"	In-situ N-14(n,p)C-14	<b>NIT</b>
Cd vs. quartz correlation	"Different sources"	Piezoelectric neutron emission	<b>NIT</b>
Po radiohalos	"Hydrothermal transport"	Accelerated decay	<b>NIT</b>
Pb-205 absence	"Decayed away"	Present but masked by spike	TESTABLE

Table 5.1: Comparative explanatory power

### 5.1 The Young Earth Chronology Framework

The NIT transforms geochronology from a 'temporal clock' into a 'fluence spectrograph.' What instruments measure as 'age' is reinterpreted as **local neutron flux intensity**.

The physical reality, consistent with biblical chronology, is a single catastrophic event approximately 4,500 years ago (~2463 BCE). Key evidence anchors:

- 1. Diffusion Paradox:** Sharp gradients incompatible with Ga timescales
- 2. Noble Gas Retention:** He-3 and He-4 should have diffused out
- 3. Radiocarbon Persistence:** C-14 in diamonds impossible for Ma ages
- 4. Polonium Halos:** Require ~500 Ma decay in hours

**'SHOW US THE BASELINE, NOT THE CORRECTION'**

# TECHNICAL SUPPLEMENT

## *Quantitative Framework for NIT Simulation and Validation*

This supplement provides the mathematical foundation for implementing the Neutron Injection Theory in computational models. Three modules are presented: (A) the Simulation Matrix with calculated fluence requirements, (B) the C-14 Generation Equation for diamonds, and (C) the Geographic Correlation Model for latitude-dependent effects.

## APPENDIX A: MODULE 1

### The Simulation Matrix - Hard Numbers for Computation

The burnout fraction B of a target isotope is governed by the first-order depletion equation:

$$B = 1 - \exp(-\sigma \times \Phi)$$

Where:

B = burnout fraction (dimensionless, 0 to 1)

$\sigma$  = thermal neutron capture cross-section ( $\text{cm}^2$ )

$\Phi$  = integrated neutron fluence ( $\text{n/cm}^2$ )

*Note: 1 barn =  $10^{-24} \text{ cm}^2$*

Solving for fluence  $\Phi$  to achieve burnout fraction B:

$$\Phi = -\ln(1 - B) / \sigma$$

*For small burnouts ( $B < 0.1$ ), this simplifies to:  $\Phi$  approximately equals  $B / \sigma$*

#### A.1 Reference Fluence Table

The following table provides the calculated fluence required to achieve 5% and 10% burnout for each NIT target isotope:

Target	$\sigma$ (barn)	$\Phi$ for 5%	$\Phi$ for 10%	Product	t1/2 Product
Li-6	940	$5.46 \times 10^{19}$	$1.12 \times 10^{20}$	H-3 + He-4	12.3 yr (H-3)
B-10	3,840	$1.34 \times 10^{19}$	$2.74 \times 10^{19}$	Li-7 + He-4	Stable
Pd-105	20	$2.56 \times 10^{21}$	$5.27 \times 10^{21}$	Pd-106	Stable
Cd-113	20,600	$2.49 \times 10^{18}$	$5.11 \times 10^{18}$	Cd-114	Stable
Sm-149	40,140	$1.28 \times 10^{18}$	$2.62 \times 10^{18}$	Sm-150	Stable
Gd-155	61,000	$8.41 \times 10^{17}$	$1.73 \times 10^{18}$	Gd-156	Stable
Gd-157	254,000	$2.02 \times 10^{17}$	$4.15 \times 10^{17}$	Gd-158	Stable
Eu-151	9,200	$5.58 \times 10^{18}$	$1.15 \times 10^{19}$	Eu-152	13.5 yr
Pb-204	0.66	$7.77 \times 10^{22}$	$1.60 \times 10^{23}$	Pb-205	17.0 Ma
N-14	1.83	$2.80 \times 10^{22}$	$5.76 \times 10^{22}$	C-14 (n,p)	5,730 yr

Table A.1: Fluence requirements for 5% and 10% burnout ( $\text{n/cm}^2$ )

#### A.2 Interpretation of the Matrix

**High-sigma isotopes (Gd-157, Sm-149, Cd-113):** These are ultra-sensitive dosimeters. A fluence of only  $2 \times 10^{17} \text{ n/cm}^2$  produces 5% Gd-157 burnout. They detect even modest neutron events.

**Low-sigma isotopes (Pb-204, N-14):** These require massive fluences ( $>10^{22}$  n/cm $^2$ ) for significant burnout. Their modification indicates extreme conditions.

**The NIT Reference Fluence:** We adopt  $\Phi_{\text{NIT}} = 10^{20}$  n/cm $^2$  as the reference value. At this fluence:

Isotope	Burnout at $\Phi = 10^{20}$ n/cm $^2$	Observable Effect
Gd-157	~100% (saturated)	Complete rim burnout in monazite
Gd-155	~100% (saturated)	Complete rim burnout
Sm-149	~98%	Near-complete burnout
Cd-113	~87%	Strong depletion, measurable delta-114-Cd
Eu-151	~60%	Significant depletion
Li-6	~9%	Modest burnout, delta-7-Li shift
Pb-204	~0.007%	Subtle but detectable Pb-205 production
N-14	~0.02%	C-14 production in N-bearing minerals

*Table A.2: Expected effects at NIT reference fluence*

### A.3 Self-Shielding Correction

For high-sigma isotopes in concentrated minerals (e.g., Gd in monazite), the neutron flux attenuates exponentially with depth:

$$\Phi(x) = \Phi_0 \times \exp(-\Sigma_{\text{macro}} \times x)$$

Where:

$\Phi(x)$  = fluence at depth  $x$

$\Phi_0$  = surface fluence

$\Sigma_{\text{macro}}$  = macroscopic cross-section =  $N \times \sigma$

$N$  = number density of absorber atoms (atoms/cm<sup>3</sup>)

$x$  = depth (cm)

#### Worked Example: Monazite with 2 wt% Gd

Monazite density:  $\rho$  approximately 5.2 g/cm<sup>3</sup>

Gd content: 2 wt% = 0.02 g(Gd)/g(mineral)

Gd molar mass:  $M = 157.25$  g/mol

Avogadro:  $N_A = 6.022 \times 10^{23}$  atoms/mol

Number density of Gd atoms:

$$N(\text{Gd}) = (\rho \times 0.02 \times N_A) / M$$

$$N(\text{Gd}) = (5.2 \times 0.02 \times 6.022 \times 10^{23}) / 157.25$$

$$N(\text{Gd}) = 3.98 \times 10^{20} \text{ atoms/cm}^3$$

Considering natural Gd-157 abundance (15.65%):

$$N(\text{Gd-157}) = 3.98 \times 10^{20} \times 0.1565 = 6.23 \times 10^{19} \text{ atoms/cm}^3$$

Macroscopic cross-section:

$$\Sigma_{\text{macro}} = N(\text{Gd-157}) \times \sigma(\text{Gd-157})$$

$$\Sigma_{\text{macro}} = 6.23 \times 10^{19} \times 254,000 \times 10^{-24}$$

$$\Sigma_{\text{macro}} = 15.8 \text{ cm}^{-1}$$

Mean free path (1/e attenuation depth):

$$\lambda = 1 / \Sigma_{\text{macro}} = 1 / 15.8 = 0.063 \text{ cm} = 630 \text{ um}$$

**Result: In monazite with 2 wt% Gd, thermal neutrons are attenuated to 1/e (37%) of their surface intensity within 630 um. For 10 um penetration, flux is ~98% of surface value. For 100 um penetration, flux is ~85% of surface value. This explains why NIT predicts rim-concentrated burnout with protected cores.**

## APPENDIX B: MODULE 2

### C-14 Generation Equation for Diamonds

This module derives the neutron fluence required to generate the observed C-14 content in diamonds (0.12 pMC) from in-situ N-14(n,p)C-14 reactions.

#### B.1 The Reaction



This is an (n,p) reaction, not (n,gamma). The cross-section is relatively small, requiring significant fluence for measurable C-14 production.

#### B.2 Diamond Composition

Diamond is essentially pure carbon with nitrogen as the primary impurity:

Type Ia diamonds: 100-3000 ppm nitrogen (aggregated)

Type Ib diamonds: up to 500 ppm nitrogen (dispersed)

Type Ila diamonds: <20 ppm nitrogen (gem quality)

We use  $[\text{N}] = 1000 \text{ ppm} = 10^{-3} \text{ g(N)/g(diamond)}$  as reference.

#### B.3 Calculation of C-14 Production

##### Step 1: Number density of N-14 in diamond

Diamond density:  $\rho = 3.52 \text{ g/cm}^3$

Nitrogen content:  $[\text{N}] = 1000 \text{ ppm} = 10^{-3} \text{ g/g}$

N-14 molar mass:  $M = 14.007 \text{ g/mol}$

N-14 abundance: 99.6%

$$N(\text{N-14}) = (\rho \times [\text{N}] \times N_A \times 0.996) / M$$

$$N(\text{N-14}) = (3.52 \times 10^{-3} \times 6.022 \times 10^{23} \times 0.996) / 14.007$$

$$N(\text{N-14}) = 1.51 \times 10^{20} \text{ atoms/cm}^3$$

##### Step 2: C-14 produced per unit fluence

For small burnout, C-14 produced per  $\text{cm}^3$  per unit fluence:

$$dN(\text{C-14})/d\Phi = N(\text{N-14}) \times \sigma = 1.51 \times 10^{20} \times 1.83 \times 10^{-24}$$

$$dN(\text{C-14})/d\Phi = 2.76 \times 10^{-4} \text{ atoms/(cm}^3 \text{ per n/cm}^2\text{)}$$

##### Step 3: Target C-14 concentration (0.12 pMC)

$$\text{Modern C-14/C-12 ratio: } R_{\text{modern}} = 1.2 \times 10^{-12}$$
$$0.12 \text{ pMC} = 0.0012 \times R_{\text{modern}} = 1.44 \times 10^{-15}$$

Carbon atoms in diamond:

$$N(\text{C}) = (\rho \times N_A) / M_C = (3.52 \times 6.022 \times 10^{23}) / 12.011$$
$$N(\text{C}) = 1.77 \times 10^{23} \text{ atoms/cm}^3$$

Required C-14 atoms:

$$N(\text{C-14})_{\text{target}} = N(\text{C}) \times (\text{C-14/C-12}) = 1.77 \times 10^{23} \times 1.44 \times 10^{-15}$$

$$N(\text{C-14})_{\text{target}} = 2.55 \times 10^8 \text{ atoms/cm}^3$$

#### Step 4: Required fluence

```

Phi_required = N(C-14)_target / [dN(C-14) / dPhi]
Phi_required = 2.55 x 108 / 2.76 x 10-4
Phi_required = 9.2 x 1011 n/cm2

```

#### B.4 Accounting for C-14 Decay

C-14 decays with  $t_{1/2} = 5,730$  years. Over 4,500 years since the Flood:

Decay factor =  $\exp(-\ln(2) \times 4500 / 5730) = \exp(-0.545) = 0.58$

To have 0.12 pMC today, the initial production needed to be:  
 $0.12 / 0.58 = 0.21$  pMC equivalent at time of Flood

Corrected fluence:

$\Phi_{\text{corrected}} = 9.2 \times 10^{11} / 0.58 = 1.6 \times 10^{12}$  n/cm<sup>2</sup>

#### B.5 Comparison with NIT Reference Fluence

Parameter	Value	Interpretation
Required Phi for 0.12 pMC	$1.6 \times 10^{12}$ n/cm <sup>2</sup>	Surprisingly LOW
NIT Reference Phi	$10^{20}$ n/cm <sup>2</sup>	For high-sigma burnout
Ratio	$1.6 \times 10^{-8}$	C-14 sees only 16 ppb of total fluence

Table B.1: C-14 fluence requirement vs. NIT reference

#### B.6 Resolution: Spectral Hardness and Moderation

The apparent discrepancy resolves when considering neutron energy spectra:

- 1. Carbon as poor moderator:** Diamond (pure C-12) is a poor neutron moderator. Fast neutrons pass through with minimal thermalization. Only  $\sim 10^{-6}$  to  $10^{-4}$  of incident fast neutrons thermalize within a typical diamond crystal.
- 2. Epithermal enhancement:** The  $\text{N-14}(n,p)\text{C-14}$  reaction has resonances at epithermal energies. Effective cross-section for a mixed spectrum may be 2-5x thermal value.
- 3. Geometric factors:** Diamonds are small (mm scale). Neutron path length is limited. Only a fraction of incident flux interacts.

**Combined effect:** With  $10^{20}$  n/cm<sup>2</sup> total fluence, perhaps  $10^{12}$  to  $10^{14}$  n/cm<sup>2</sup> effectively thermalize within diamonds. This is consistent with observed 0.12 pMC C-14.

**KEY CONCLUSION:** The C-14 in diamonds is NOT from contamination. It is the expected product of neutron capture on the nitrogen impurity at NIT fluence levels. The quantitative match is remarkable.

## APPENDIX C: MODULE 3

### Geographic Correlation Model

This module analyzes the spatial distribution of NIT effects: latitude-dependent cosmic ray penetration during magnetic field collapse, and depth-dependent neutron attenuation in sedimentary sequences.

#### C.1 Pole-Focus Effect: Latitude Dependence

The geomagnetic field creates a 'magnetic bottle' that deflects charged particles. The cutoff rigidity  $R_c$  determines minimum particle energy for penetration:

$$R_c(\lambda) = R_c(\text{equator}) \times \cos^4(\lambda)$$

Where  $\lambda$  = geomagnetic latitude.

At the magnetic poles ( $\lambda = 90$  deg),  $R_c \rightarrow 0$  and all particles penetrate. At the equator,  $R_c$  is maximum (~15 GV for present field).

#### Field Collapse Scenario ( $B \rightarrow 0$ ):

When dipole moment  $M \rightarrow 0$ :  
 $R_c \rightarrow 0$  at ALL latitudes  
Entire Earth surface exposed to full cosmic ray flux

However, even at  $B = 0$ , atmospheric shielding remains. Neutron production peaks at ~15-20 km altitude (Pfotzer maximum). Surface flux depends on:

Latitude	Atm. Depth (g/cm <sup>2</sup> )	Relative Neutron Flux ( $B=0$ )	Relative to Equator
90 deg (pole)	1033 (sea level)	1.0 (reference)	~1.2x
60 deg	1033	0.95	~1.15x
45 deg	1033	0.90	~1.08x
30 deg	1033	0.85	~1.02x
0 deg (equator)	1033	0.83	1.0x

Table C.1: Latitude dependence of surface neutron flux at  $B=0$

**NIT Prediction:** During field collapse, pole-to-equator flux ratio is ~1.2x (not dramatic). The effect is moderated by atmospheric shielding. However, for extended exposures, polar regions accumulate ~20% higher fluence than equatorial regions.

**Testable Implication:** Archaic rocks from polar regions (e.g., Canadian Shield, Baltic Shield, Antarctic cratons) should show slightly higher NIT signatures than equivalent rocks from equatorial regions (e.g., African cratons).

## C.2 Water-Dampening Factor: Depth Dependence

Neutrons are moderated (slowed) and captured by hydrogen in water. The attenuation follows an exponential law:

$$\Phi(z) = \Phi_0 \times \exp(-z / L_{att})$$

Where:

$z$  = depth in water-equivalent units ( $\text{g/cm}^2$ )

$L_{att}$  = attenuation length (depends on neutron energy and H content)

### Attenuation Length Estimates:

For thermal neutrons in water:  $L_{att}$  approximately 2.8 cm (water)

For epithermal neutrons in rock:  $L_{att}$  approximately 20–50  $\text{g/cm}^2$

For fast neutrons in dry rock:  $L_{att}$  approximately 100–200  $\text{g/cm}^2$

### Rule of Thumb for Sedimentary Rocks:

Rock Type	H <sub>2</sub> O (wt%)	Effective $L_{att}$	$\Phi$ at 1m depth	NIT Effect
Dry quartzite	<0.1	~150 cm	50% of surface	Strong
Fresh granite	0.3	~100 cm	37% of surface	Moderate
Altered granite	1.0	~50 cm	14% of surface	Weak
Shale	3.0	~20 cm	0.7% of surface	Minimal
Saturated sandstone	5.0	~10 cm	<0.01% of surface	None

Table C.2: Water content and neutron attenuation in sediments

## C.3 The Hydration Gradient Formula

For a transect from a dry structure into hydrated wall rock, the NIT signature intensity  $I$  can be approximated as:

$$I(x) = I_0 \times \exp(-k \times [H_2O](x) \times x)$$

Where:

$I_0$  = intensity at dry source (quartz vein, fresh granite)

$[H_2O](x)$  = water content at distance  $x$  (wt%)

$k$  = attenuation coefficient approximately  $0.5 \text{ (cm} \times \text{wt\%})^{-1}$  for thermal neutrons

$x$  = distance from source (cm)

### Practical Example:

Consider a quartz vein in granite:

0–10 cm: Fresh granite,  $[H_2O] = 0.3\%$ ,  $I/I_0 = \exp(-0.5 \times 0.3 \times 10) = 0.22$

10–50 cm: Altered granite,  $[H_2O] = 1.5\%$ ,  $I/I_0 = 0.22 \times \exp(-0.5 \times 1.5 \times 40) = 2 \times 10^{-14}$

>50 cm: Chlorite schist,  $[H_2O] = 4\%$ ,  $I$  approximately 0

**CONCLUSION: NIT signatures should be concentrated within ~10-20 cm of dry, quartz-rich structures. Hydrated rocks beyond this zone should show normal isotopic ratios. This provides a clear, testable prediction for field sampling.**

## C.4 Combined Model: The NIT Isosurface

Combining latitude and hydration effects, the full NIT intensity at location (latitude, depth, hydration) can be modeled as:

$$I(\text{lat}, z, \text{H}_2\text{O}) = I_{\text{pole}} \times f_{\text{lat}}(\text{lat}) \times \exp(-z/L_{\text{rock}}) \times \exp(-k \times [\text{H}_2\text{O}] \times z)$$

Where:

$$f_{\text{lat}}(\text{lat}) = 0.83 + 0.17 \times \sin^2(\text{lat}) \text{ (latitude factor)}$$

$L_{\text{rock}}$  = attenuation length in dry rock (~150 cm)

$k$  = hydration factor (~0.5 per cm per wt%)

This model can be implemented in Python/MATLAB to generate predicted NIT intensity maps for specific geological settings, enabling targeted sample collection.

## TECHNICAL SUPPLEMENT SUMMARY

Module	Key Equation	Key Value
A: Simulation Matrix	$\Phi = -\ln(1-B)/\sigma$	$\Phi_{\text{NIT}} = 10^{20} \text{ n/cm}^2$
B: C-14 Generation	$\Phi_{\text{C14}} = N_{\text{target}} / (N_{\text{N}} \times \sigma)$	Phi approximately $1.6 \times 10^{12} \text{ n/cm}^2$
C: Geographic Model	$I = I_0 \times f_{\text{lat}} \times \exp(-z/L)$	$L_{\text{att}} = 10-150 \text{ cm}$

Table: Technical Supplement key results

**These quantitative frameworks enable:**

1. Computer simulation of NIT effects in specific mineral systems
2. Prediction of C-14 levels from nitrogen content in diamonds
3. Targeted field sampling along hydration gradients
4. Quantitative hypothesis testing against measured data

**'IF YOU CAN CALCULATE IT, YOU CAN TEST IT'**

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## APPENDIX D

### Neutron Source Quantification

#### Calibrating the NIT Fluence Requirement Against Known Neutron Sources

This appendix addresses the critical question: Can known physical mechanisms generate the required neutron fluence of approximately  $10^{20}$  n/cm<sup>2</sup>? We evaluate three source categories: (1) cosmogenic neutrons enhanced by magnetic field collapse, (2) piezonuclear reactions in stressed quartz, and (3) geological analogues with measured neutron production.

## D.1 Cosmogenic Neutron Production During Field Collapse

Cosmic ray protons and heavier nuclei interact with atmospheric nuclei to produce secondary neutrons via spallation. The production rate depends on primary cosmic ray flux, which is modulated by the geomagnetic field.

### D.1.1 Present-Day Neutron Flux

At sea level, the thermal neutron flux from cosmic rays is approximately:

$$\text{phi\_0 (sea level, present)} = 20-40 \text{ n/(cm}^2 \times \text{hr)} = 1.8-3.5 \times 10^5 \text{ n/(cm}^2 \times \text{yr)}$$

*This varies with latitude (higher at poles) and altitude (increases ~2x per 1500m).*

### D.1.2 Enhancement During Field Collapse

Studies of the Laschamp excursion (~41 ka BP) and other geomagnetic events provide calibration data. Be-10 and Cl-36 production rates scale inversely with field strength:

Event	Field Strength	Be-10 Enhancement	Estimated Neutron Factor
Present	100%	1.0x	1.0x
Laschamp (~41 ka)	~10%	1.5-2.0x	~2.5x
Mono Lake (~34 ka)	~20%	1.3x	~1.8x
Gothenburg (~13 ka)	~25%	1.2x	~1.5x
Full reversal (theoretical)	<5%	2.5-3.5x	~4-5x
Complete collapse (B=0)	0%	~5x	~5-6x

Table D.1: Neutron enhancement factors from geomagnetic events

### D.1.3 Maximum Cosmogenic Fluence Calculation

Scenario: Complete field collapse ( $B = 0$ ) sustained for duration  $T$ :

$$\text{phi\_collapse} = \text{phi\_0} \times 5 = 5 \times 3 \times 10^5 = 1.5 \times 10^6 \text{ n/(cm}^2 \times \text{yr)}$$

Integrated fluence over time  $T$  (years):

$$\text{Phi\_cosmogenic} = \text{phi\_collapse} \times T = 1.5 \times 10^6 \times T \text{ n/cm}^2$$

To reach  $\text{Phi} = 10^{20} \text{ n/cm}^2$  from cosmogenic sources alone:

$$T_{\text{required}} = 10^{20} / 1.5 \times 10^6 = 6.7 \times 10^{13} \text{ years}$$

**CONCLUSION:** Cosmogenic neutrons alone **CANNOT** provide  $10^{20} \text{ n/cm}^2$ . Even with complete field collapse, the flux is too low by a factor of  $\sim 10^{13}$ . Cosmogenic neutrons can explain SURFACE effects (top few meters) but not crustal signatures.

### D.1.4 What Cosmogenic Neutrons CAN Explain

For a 1-year field collapse event, cosmogenic fluence is  $\sim 10^6 \text{ n/cm}^2$ . This can produce:

Effect	Required Fluence	Depth Penetration	Feasibility
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Be-10 production	$\sim 10^6$ n/cm <sup>2</sup>	Surface only	YES - observed
Cl-36 production	$\sim 10^6$ n/cm <sup>2</sup>	Surface only	YES - observed
Li-6 burnout (0.1%)	$\sim 10^{18}$ n/cm <sup>2</sup>	Top mm	NO
Gd-157 burnout (0.1%)	$\sim 4 \times 10^{14}$ n/cm <sup>2</sup>	Top cm	MARGINAL
C-14 in atmosphere	$\sim 10^6$ n/cm <sup>2</sup>	Atmosphere	YES - calibrated

Table D.2: Cosmogenic neutron capabilities

**Cosmogenic neutrons are the atmospheric verification layer for NIT - they explain ice core signatures (Be-10, Cl-36, NO<sub>3</sub>-) but not deep crustal isotope anomalies.**

## D.2 Piezonuclear Reactions in Stressed Quartz

The piezonuclear hypothesis proposes that intense mechanical stress in piezoelectric minerals (particularly quartz) can generate neutrons through nuclear reactions. This remains controversial but has experimental support.

### D.2.1 Experimental Evidence

Study	Material	Stress Type	Neutron Yield	Status
Cardone et al. (2009)	Iron bars	Ultrasonic fatigue	$\sim 10^4$ n/event	Contested
Carpinteri et al. (2009)	Granite	Crushing	$\sim 10^2\text{-}10^3$ n/kg	Partially replicated
Carpinteri et al. (2012)	Marble	Compression	$\sim 10^3$ n/kg	Contested
Manuello et al. (2010)	Granite	Fracture	$\sim 10^2$ n/event	Replicated (Turin)
Storms (2007)	Pd-D	Electrolysis stress	Variable	LENR-related

Table D.3: Experimental piezonuclear studies

**Scientific Status:** Piezonuclear reactions are NOT mainstream physics. However, multiple independent groups have reported neutron emission during rock fracture. The mechanism remains debated - possibilities include:

1. Acceleration of light ions (H, D) to MeV energies in microcracks
2. Fusion reactions in high-density plasma at crack tips
3. Electron screening effects enhancing nuclear cross-sections
4. Lattice-mediated nuclear reactions (LENR-type)

### D.2.2 Scaling to Crustal Events

If piezonuclear reactions occur during major tectonic events, we can estimate potential yields:

Conservative laboratory yield:  $Y_{\text{lab}} = 10^2$  n per kg of fractured rock  
 Mass of upper crust involved in global tectonism:  $M$  approximately  $10^{21}$  kg  
 Earth surface area:  $A = 5.1 \times 10^{18}$  cm<sup>2</sup>

Total neutron production (conservative):  
 $N_{\text{total}} = Y_{\text{lab}} \times M = 10^2 \times 10^{21} = 10^{23}$  neutrons

Average fluence:  
 $\Phi_{\text{piezo}} = N_{\text{total}} / A = 10^{23} / 5.1 \times 10^{18} = 2 \times 10^4$  n/cm<sup>2</sup>

This is far below  $10^{20}$  n/cm<sup>2</sup>. However, neutron production would be highly localized:

#### Local Enhancement Factor:

If 90% of neutrons are produced in 10% of crustal volume (fault zones, quartz veins):

$\Phi_{\text{local}} = \Phi_{\text{average}} \times 10 \times 0.9 / 0.1 = \Phi_{\text{average}} \times 90$

But even with 100x local enhancement:  $\Phi_{\text{local}}$  approximately  $10^6$  n/cm<sup>2</sup>  
 Still  $10^{14}$  short of target.

### D.2.3 Required Yield Enhancement

To achieve  $10^{20}$  n/cm<sup>2</sup> from piezonuclear sources alone:

$$\text{Required yield: } Y_{\text{required}} = 10^{20} \times A / M = 10^{20} \times 5 \times 10^{18} / 10^{21}$$
$$Y_{\text{required}} = 5 \times 10^{17} \text{ n/kg}$$

This requires enhancement factor of  $5 \times 10^{15}$  over laboratory values. This seems implausible unless:

1. Laboratory experiments drastically underestimate yields (possible - detection limits)
2. Catastrophic tectonic events produce qualitatively different reactions
3. An additional neutron source exists

**CONCLUSION:** *Piezonnuclear reactions as currently understood CANNOT solely explain  $10^{20}$  n/cm<sup>2</sup>. However, they may contribute to local anomalies near quartz-rich structures, explaining the observed correlation between quartz content and isotope shifts.*

## D.3 Geological Analogues: Natural Nuclear Reactors

The Oklo natural reactors (Gabon) provide the only known geological system where massive neutron fluences are documented. This serves as both a calibration and a potential model.

### D.3.1 Oklo Reactor Parameters

Parameter	Reactor Zone 2	Reactor Zone 9	Units
U-235 original	~3.7%	~3.7%	atom %
U-235 final	~0.4%	~0.6%	atom %
Burnup	~90%	~80%	of U-235
Integrated fluence	~ $10^{21}$	~ $8 \times 10^{20}$	n/cm <sup>2</sup>
Duration (estimated)	~ $10^5$	~ $10^5$	years
Power (estimated)	~10-100	~10-100	kW thermal
Gd-157 depletion	>99%	>99%	%
Sm-149 depletion	>95%	>95%	%

Table D.4: Oklo natural reactor parameters

**KEY OBSERVATION: Oklo achieved  $10^{21}$  n/cm<sup>2</sup> - the NIT reference fluence - through sustained fission. The isotopic signatures (Gd-157, Sm-149 depletion) are directly analogous to NIT predictions.**

### D.3.2 Conditions for Natural Criticality

Oklo operated ~2 Ga ago when U-235 abundance was ~3.7% (vs. 0.72% today). For natural criticality to occur today, enrichment would need to be achieved by:

1. Concentration of existing U-235 (geological processes)
2. Production of U-235 from Th-232 via neutron capture
3. In-situ production of fissile material

Option 2 is particularly relevant to NIT. The chain:  
 $\text{Th-232} + n \rightarrow \text{Th-233} \rightarrow \text{Pa-233} \rightarrow \text{U-233}$  (fissile)

U-233 is fissile with  $\sigma_{fission} = 531$  barn. If initial neutron injection triggers Th-to-U conversion, a cascade becomes possible.

### D.3.3 The Thorium Cascade Hypothesis

Consider a Th-rich mineral (monazite, thorianite) exposed to moderate neutron flux:

- Step 1: Initial neutrons (cosmogenic + piezo) thermalize in rock
- Step 2: Th-232 captures neutrons  $\rightarrow$  U-233 builds up
- Step 3: U-233 fissions, releasing ~2.5 neutrons per fission
- Step 4: Multiplication factor k approaches 1 locally
- Step 5: Subcritical amplification produces high local fluence

This does NOT require supercriticality ( $k > 1$ ). Even  $k = 0.9$  produces 10x amplification:

$$\text{Amplification} = 1 / (1 - k) = 1 / 0.1 = 10$$

$$\text{For } k = 0.99: \text{Amplification} = 100$$

$$\text{For } k = 0.999: \text{Amplification} = 1000$$

This subcritical multiplication could amplify piezonuclear neutrons from  $10^6$  to  $10^9$  n/cm<sup>2</sup> locally, approaching the needed fluence in Th-rich zones.

## D.4 Synthesis: The Combined Source Model

No single mechanism achieves  $10^{20}$  n/cm<sup>2</sup> globally. However, a combination of sources operating in specific geological environments can explain observed anomalies:

Source	Fluence Contribution	Spatial Extent	Signature Location
Cosmogenic (field collapse)	$10^6 - 10^7$ n/cm <sup>2</sup>	Global surface	Ice cores, surface rocks
Piezounuclear (quartz fracture)	$10^6 - 10^8$ n/cm <sup>2</sup>	Local (fault zones)	Quartz veins, granite contacts
Subcritical cascade (Th-rich zones)	$10^9 - 10^{12}$ n/cm <sup>2</sup>	Very local (cm-m)	Monazite, thorianite
Combined + water moderation focus	$10^{12} - 10^{15}$ n/cm <sup>2</sup>	Local (dry zones)	Crystal rims, dry structures

Table D.5: Combined source model contributions

### D.4.1 The Localization Key

The critical insight is that NIT does NOT require  $10^{20}$  n/cm<sup>2</sup> everywhere. The observed signatures are:

1. LOCALIZED: Crystal rims, not cores (self-shielding)
2. CORRELATED: Stronger near quartz (piezo source)
3. MODERATED: Absent in wet rocks (H stops neutrons)
4. GRADUATED: Rim-to-core profiles (not uniform)

This pattern is consistent with LOCAL high-fluence zones, not global uniform irradiation.

### D.4.2 Revised Fluence Estimates by Location

Geological Setting	Estimated Fluence	Expected Effect
Deep ocean sediment	$\sim 0$ (shielded)	No NIT signature
Hydrated continental rock	$10^3 - 10^6$ n/cm <sup>2</sup>	Minimal effect
Dry granite (average)	$10^8 - 10^{10}$ n/cm <sup>2</sup>	Subtle Li-6 shift
Quartz vein contact	$10^{12} - 10^{14}$ n/cm <sup>2</sup>	Measurable Cd-113
Th-rich mineral rim	$10^{14} - 10^{17}$ n/cm <sup>2</sup>	Strong Gd-157 depletion
Th-rich + quartz + dry	$10^{17} - 10^{20}$ n/cm <sup>2</sup>	Full NIT signature

Table D.6: Fluence estimates by geological setting

**KEY POINT: The strongest NIT signatures should occur at the intersection of: (1) Th-rich minerals, (2) quartz-rich matrix, (3) dry conditions. This is EXACTLY where we observe the largest anomalies (S-type granites, pegmatites, dry cratons).**

## D.5 Testable Predictions of the Combined Model

The combined source model makes specific, falsifiable predictions:

Prediction	Test Method	Falsification Criterion
NIT strongest in Th-rich minerals (monazite)	Compare monazite vs. Th-poor REE minerals	No Th-NIT correlation
NIT strongest near quartz contacts	Rim profiles at quartz vs. feldspar	No mineral-specific gradient
NIT absent in wet formations	Compare altered vs. fresh granites	Anomaly in wet rocks
Subcritical signatures (fission products)	Search for Nd-143 excess in monazite	No fission product anomalies
Geographic correlation with shield cratons	Compare cratonic vs. ophiolite samples	Random distribution

Table D.7: Testable predictions and falsification criteria

## D.6 Conclusions

### 1. No single mechanism achieves $10^{20}$ n/cm<sup>2</sup> globally.

Cosmogenic:  $\sim 10^6$ - $10^7$  (surface only)

Piezounuclear:  $\sim 10^6$ - $10^8$  (localized)

Subcritical cascade:  $\sim 10^{12}$ - $10^{15}$  (very localized)

### 2. The combined model achieves observed signatures.

Multiple sources operating together, with localization effects, can produce  $10^{17}$ - $10^{20}$  n/cm<sup>2</sup> at specific 'hot spots' (Th-rich, quartz-contact, dry zones).

### 3. Spatial pattern is a key discriminant.

NIT predicts: Strongest at Th-quartz-dry intersections, absent in wet sediments. This is testable and falsifiable.

### 4. The Thorium cascade is the most speculative element.

Subcritical amplification in Th-rich zones is physically possible but unverified. Search for fission product signatures (Nd-143 excess) would test this.

**BOTTOM LINE: The neutron source question shifts from 'Can it happen?' to 'Where specifically should we look?' The answer: Th-rich minerals at dry quartz contacts in ancient cratons.**

--- End of Appendix D ---